

## SECTION 6 ULTIMATE LIMIT STATES (ULS)

### 6.1 Bending with or without axial force

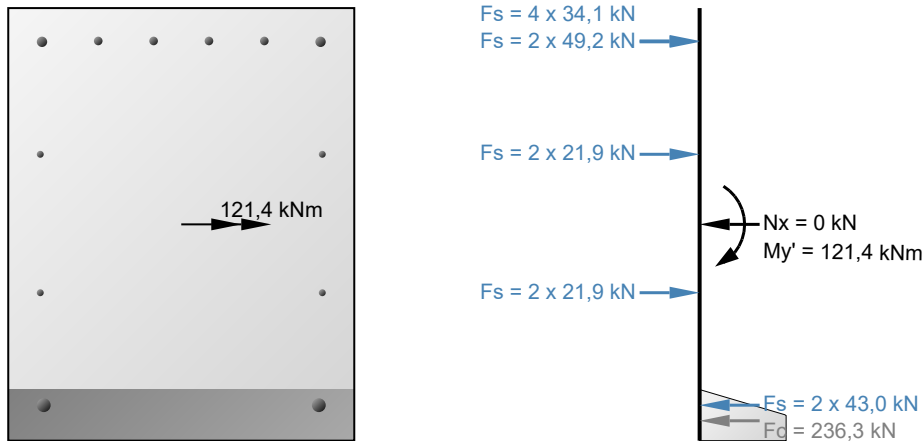
$$M_{Ed} (x = 2534 \text{ mm}) = -103,07 \text{ kNm} < M_{Rd} = -121,43 \text{ kNm} \quad (\text{u.c.}=0,85)$$

$$x_{u,max} = \frac{\delta - k_1}{k_2} d = \frac{1 - \frac{435}{500 + 435}}{1,00} d = 0,535 \times 404,5 = 216,3 \text{ mm} \quad \dots(5.10a)$$

$$x_u = 59,1 \text{ mm} < x_{u,max} = 216,3 \text{ mm}$$

#### Cross Section Calculation

$$\epsilon_c = \epsilon_{cu3}$$



Angle bending axis and neutral line  $\alpha = 0,000^\circ$ ;  $x_u = 59,1 \text{ mm}$ ;  $d = 404,5 \text{ mm}$   
 Centroid section  $y' = 0,0$   $z' = -250,0$  ( $y = 0,0$   $z = 0,0$ )

$y'$ [mm]	$z'$ [mm]	Wap.	$A_s$ [mm <sup>2</sup> ]	$\Delta\epsilon$ [o/oo]	$\sigma_c$ [N/mm <sup>2</sup> ]	$\Delta\sigma_s$ [N/mm <sup>2</sup> ]
-96,0	-38,0	1Ø10	79	23,876		434,8
-32,0	-38,0	1Ø10	79	23,876		434,8
32,0	-38,0	1Ø10	79	23,876		434,8
96,0	-38,0	1Ø10	79	23,876		434,8
-161,0	-39,0	1Ø12	113	23,817		434,8
161,0	-39,0	1Ø12	113	23,817		434,8
-163,0	-169,0	1Ø8	50	16,114		434,8
163,0	-169,0	1Ø8	50	16,114		434,8
-163,0	-329,0	1Ø8	50	6,633		434,8
163,0	-329,0	1Ø8	50	6,633		434,8
-159,0	-459,0	1Ø16	201	-1,070		-214,1
159,0	-459,0	1Ø16	201	-1,070		-214,1
0,0	<b>-500,0</b>			<b>-3,500</b>	<b>-13,3</b>	

y' [mm]	z' [mm]	F <sub>c</sub> [kN]	F <sub>s</sub> [kN]	dy' [mm]	dz' [mm]	F [kN]	F.dy' [kNm]	F.dz' [kNm]
-96,0	-38,0		34,1	-96,0	212,0	34,1	-3,3	7,2
-32,0	-38,0		34,1	-32,0	212,0	34,1	-1,1	7,2
32,0	-38,0		34,1	32,0	212,0	34,1	1,1	7,2
96,0	-38,0		34,1	96,0	212,0	34,1	3,3	7,2
-161,0	-39,0		49,2	-161,0	211,0	49,2	-7,9	10,4
161,0	-39,0		49,2	161,0	211,0	49,2	7,9	10,4
-163,0	-169,0		21,9	-163,0	81,0	21,9	-3,6	1,8
163,0	-169,0		21,9	163,0	81,0	21,9	3,6	1,8
-163,0	-329,0		21,9	-163,0	-79,0	21,9	-3,6	-1,7
163,0	-329,0		21,9	163,0	-79,0	21,9	3,6	-1,7
-159,0	-459,0		-43,0	-159,0	-209,0	-43,0	6,8	9,0
159,0	-459,0		-43,0	159,0	-209,0	-43,0	-6,8	9,0
0,0	-477,0	-236,3		0,0	-227,0	-236,3	0,0	53,6
totaal:						0,0	0,0	121,4

## 6.2 Shear

Ø8-100 (2s.)

$$x = 2534 \text{ mm} \quad V_{Ed} = 97,12 \text{ kN} \quad T_{Ed} = 13,50 \text{ kNm}$$

$$k = 1 + \sqrt{\frac{200}{d}} = 1 + \sqrt{\frac{200}{441}} = 1,673 \leq 2,0$$

$$\rho_l = A_{sl} / (b_w d) = 226 / (400 \times 441) = 0,001 < 0,02$$

$$V_{Rd,c} = [C_{Rd,c} k (100 \rho_l f_{ck})^{1/3} + k_1 \sigma_{cp}] b_w d = \dots(6.2.a)$$

$$= [0,12 \times 1,673 \times (100 \times 0,001 \times 20)^{1/3} + 0,15 \times 0] \times 400 \times 441 \times 10^{-3} = 48,492 \text{ kN}$$

$$v_{min} = 0,035 k^{3/2} f_{ck}^{1/2} = 0,035 \times 1,673^{3/2} \times 20^{1/2} = 0,339 \text{ N/mm}^2 \dots(6.3N)$$

$$V_{Rd,c} = (v_{min} + k_1 \sigma_{cp}) b_w d = (0,339 + 0,15 \times 0) \times 400 \times 441 \times 10^{-3} = 59,781 \text{ kN} \dots(6.2.b)$$

$$k = 1 + \sqrt{\frac{200}{d}} = 1 + \sqrt{\frac{200}{329}} = 1,78 \leq 2,0$$

$$\rho_l = A_{sl} / (b_w d) = 226 / (400 \times 329) = 0,002 < 0,02$$

$$V_{Rd,c} = [C_{Rd,c} k (100 \rho_l f_{ck})^{1/3} + k_1 \sigma_{cp}] b_w d = \dots(6.2.a)$$

$$= [0,12 \times 1,78 \times (100 \times 0,002 \times 20)^{1/3} + 0,15 \times 0] \times 400 \times 329 \times 10^{-3} = 42,416 \text{ kN}$$

$$v_{min} = 0,035 k^{3/2} f_{ck}^{1/2} = 0,035 \times 1,78^{3/2} \times 20^{1/2} = 0,372 \text{ N/mm}^2 \dots(6.3N)$$

$$V_{Rd,c} = (v_{min} + k_1 \sigma_{cp}) b_w d = (0,372 + 0,15 \times 0) \times 400 \times 329 \times 10^{-3} = 48,905 \text{ kN} \dots(6.2.b)$$

$$A = b h = 400 \times 500 = 200000 \text{ mm}^2 \quad u = 2 b + 2 h = 2 \times 400 + 2 \times 500 = 1800 \text{ mm}$$

$$t_{ef,i} = A / u = 200000 / 1800 = 111 \text{ mm}$$

$$A_k = (b - \frac{1}{2} t_{ef,i} - \frac{1}{2} t_{ef,i}) (h - \frac{1}{2} t_{ef,i} - \frac{1}{2} t_{ef,i}) =$$

$$= (400 - \frac{1}{2} \times 111 - \frac{1}{2} \times 111) \times (500 - \frac{1}{2} \times 111 - \frac{1}{2} \times 111) = 112346 \text{ mm}^2$$

$$T_{Rd,c} = 2 A_k \tau_{T,i} t_{ef,i} = 2 \times 112346 \times 1,03 \times 111 = 25,753 \text{ kNm} \quad \dots(6.26)$$

$$\frac{T_{Ed}}{T_{Rd,c}} + \frac{V_{Ed}}{V_{Rd,c}} = \frac{13,5}{25,753} + \frac{97,12}{48,905} = 2,51 > 1,00 \quad \dots(6.31)$$

$$v = 0,6 \left[ 1 - \frac{f_{ck}}{250} \right] = 0,6 \times \left[ 1 - \frac{20}{250} \right] = 0,552 \quad \dots(6.6N)$$

$$V_{Rd,max} = \alpha_{cw} b_w z v_1 f_{cd} / (\cot \theta + \tan \theta) \quad \dots(6.9)$$

$$= 1 \times 400 \times 296 \times 0,6 \times 13,3 / (1,192 + 0,839) = 466,56 \text{ kN}$$

$$v = 0,6 \left[ 1 - \frac{f_{ck}}{250} \right] = 0,6 \times \left[ 1 - \frac{20}{250} \right] = 0,552 \quad \dots(6.6N)$$

$$T_{Rd,max} = 2 v_1 \alpha_{cw} f_{cd} A_k t_{ef,i} \sin \theta \cos \theta \quad \dots(6.30)$$

$$= 2 \times 0,55 \times 1 \times 13,333 \times 112346 \times 111,1 \times 0,643 \times 0,766 = 90,478 \text{ kNm}$$

$$\frac{T_{Ed}}{T_{Rd,max}} + \frac{V_{Ed}}{V_{Rd,max}} = \frac{13,5}{90,478} + \frac{97,12}{466,563} = 0,36 < 1,00 \quad \dots(6.29)$$

$$\frac{A_{sw}}{s} = \frac{V_{Ed}}{f_{ywd} z \cot \theta} = \frac{97 \times 10^3}{435 \times 296 \times 1,192} = 0,633 \text{ mm}^2/\text{mm} \quad \dots(6.8)$$

$$\frac{A_{sw}}{s} = \frac{T_{Ed} \tan \theta}{2 b_1 h_1 f_{ywd}} = \frac{13 \times 0,839}{2 \times 289 \times 389 \times 435} = 0,116 \text{ mm}^2/\text{mm}$$

$$A_{s,l} = \frac{T_{Ed} \cot \theta u_k}{f_{ywd} 2 A_k} = \frac{13 \times 1,192 \times 1356}{435 \times 2 \times 112346} = 223 \text{ mm}^2 \quad \dots(6.28)$$

$$AswV = 0,317 \text{ mm}^2/\text{mm} \quad AsT = 0,116 \text{ mm}^2/\text{mm} \quad Asw_{ben} = 0,432 \text{ mm}^2/\text{mm}$$

$$Asw_{ben} = 0,432 \text{ mm}^2/\text{mm} < Asw_{aanw} = 0,503 \text{ mm}^2/\text{mm}$$

## SECTION 7 SERVICEABILITY LIMIT STATES (SLS)

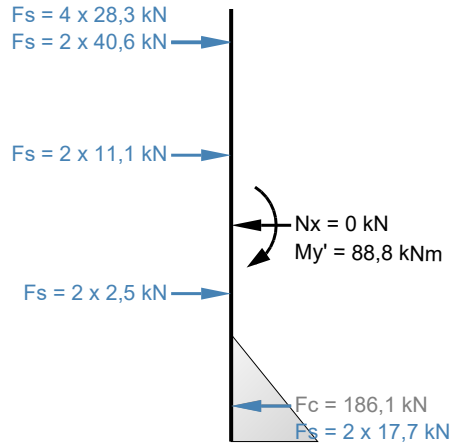
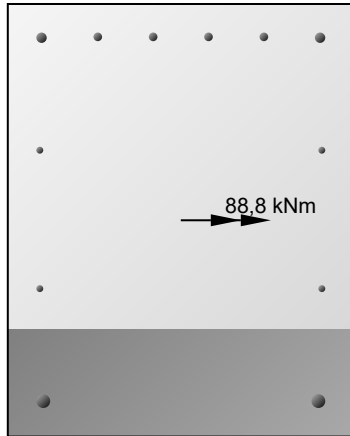
### 7.3.3 Control of cracking without direct calculation

$$M_k (x = 2534 \text{ mm}) = -77,82 \text{ kNm} < M_{Rk} = -88,76 \text{ kNm} \quad (\text{u.c.}=0,88)$$

$$\sigma_s = 360 \text{ N/mm}^2 \quad w_k = 0,5 \text{ mm} \rightarrow s_{max} = 100 \text{ mm} \quad \dots(\text{Tabel 7.3N})$$

$s_{prov} = 65 \text{ mm} \leq s_{max} = 100 \text{ mm}$

Cross Section Calculation



Angle bending axis and neutral line  $\alpha = 0,000^\circ$ ;  $x_u = 123,7 \text{ mm}$ ;  $d = 441,9 \text{ mm}$   
 Centroid section  $y' = 0,0$   $z' = -250,0$  ( $y = 0,0$   $z = 0,0$ )

$y'$ [mm]	$z'$ [mm]	Wap.	$A_s$ [mm <sup>2</sup> ]	$\Delta\epsilon$ [o/oo]	$\sigma_c$ [N/mm <sup>2</sup> ]	$\Delta\sigma_s$ [N/mm <sup>2</sup> ]
-96,0	<b>-38,0</b>	1Ø10	79	<b>1,800</b>		<b>360,0</b>
-32,0	<b>-38,0</b>	1Ø10	79	<b>1,800</b>		<b>360,0</b>
32,0	<b>-38,0</b>	1Ø10	79	<b>1,800</b>		<b>360,0</b>
96,0	<b>-38,0</b>	1Ø10	79	<b>1,800</b>		<b>360,0</b>
-161,0	-39,0	1Ø12	113	1,795		358,9
161,0	-39,0	1Ø12	113	1,795		358,9
-163,0	-169,0	1Ø8	50	1,103		220,6
163,0	-169,0	1Ø8	50	1,103		220,6
-163,0	-329,0	1Ø8	50	0,252		50,3
163,0	-329,0	1Ø8	50	0,252		50,3
-159,0	-459,0	1Ø16	201	-0,440		-88,0
159,0	-459,0	1Ø16	201	-0,440		-88,0
0,0	-500,0			-0,658	-7,5	

$y'$ [mm]	$z'$ [mm]	$F_c$ [kN]	$F_s$ [kN]	$dy'$ [mm]	$dz'$ [mm]	$F$ [kN]	$F \cdot dy'$ [kNm]	$F \cdot dz'$ [kNm]
-96,0	-38,0		28,3	-96,0	212,0	28,3	-2,7	6,0
-32,0	-38,0		28,3	-32,0	212,0	28,3	-0,9	6,0
32,0	-38,0		28,3	32,0	212,0	28,3	0,9	6,0
96,0	-38,0		28,3	96,0	212,0	28,3	2,7	6,0
-161,0	-39,0		40,6	-161,0	211,0	40,6	-6,5	8,6
161,0	-39,0		40,6	161,0	211,0	40,6	6,5	8,6
-163,0	-169,0		11,1	-163,0	81,0	11,1	-1,8	0,9
163,0	-169,0		11,1	163,0	81,0	11,1	1,8	0,9
-163,0	-329,0		2,5	-163,0	-79,0	2,5	-0,4	-0,2
163,0	-329,0		2,5	163,0	-79,0	2,5	0,4	-0,2
-159,0	-459,0		-17,7	-159,0	-209,0	-17,7	2,8	3,7
159,0	-459,0		-17,7	159,0	-209,0	-17,7	-2,8	3,7
0,0	-458,8	-186,1		0,0	-208,8	-186,1	0,0	38,9
totaal:						0,0	0,0	88,8